(A) $\varepsilon + \zeta\chi^\nu = z^\nu$ | (B) $\chi^\nu = \frac{z^\nu - \varepsilon}{\zeta}$ | (Γ) $\chi = \frac{\overline{z^\nu - \varepsilon}^{\frac{1}{\nu}}}{\zeta^{\frac{1}{\nu}}}$ | (Δ) $\chi^{\pi+1} = \frac{\overline{z^\nu - \varepsilon}^{\frac{\pi+1}{\nu}}}{\zeta^{\frac{\pi+1}{\nu}}}$

(E) $\chi^\pi \delta\chi = \frac{\overline{\pi+1}.}{\nu.\zeta^{\frac{\pi+1}{\nu}}} z^{\nu-1}\delta z.\overline{z^\nu - \varepsilon}^{\frac{\pi+1}{\nu}-1}$ | (Z) $\alpha\chi^\pi\delta\chi.\overline{\varepsilon+\zeta\chi^\nu}^{\mu} = \frac{\alpha.\overline{\pi+1}}{\zeta^{\frac{\pi+1}{\nu}}} z^{\nu\mu+\nu-1}\delta z.\overline{z^\nu - \varepsilon}^{\frac{\pi+1}{\nu}-1}$

(H) $\chi\delta y + y\delta\chi$ | (Θ) χy | (I) $\alpha\chi^2\delta\chi + \frac{\beta\delta\chi}{\alpha+\chi}$ | (K) $\frac{\alpha}{3}\chi^3 + \beta\lambda\overline{\alpha+\chi}$ | (Λ) $\alpha\chi^\nu\delta\chi + \frac{\alpha^2\delta\chi}{\alpha^2+\chi^2}$

(M) $\frac{\alpha}{\nu+1}\chi^{\nu+1} + \frac{O\alpha^2\delta\chi}{\alpha^2+\chi^2}$ | (N) HI $= -\frac{\chi\delta\chi}{\sqrt{\alpha^2-\chi^2}}$ | (Ξ) $\overline{HZ}^2 = \delta\chi^2 + \frac{\chi^2\delta\chi^2}{\alpha^2-\chi^2}$ | (O) HZ $= \frac{\alpha\delta\chi}{\sqrt{\alpha^2-\chi^2}}$

(Π) ΗΓΔΖ $= \delta\chi\sqrt{\alpha^2-\chi^2}$ | (Ρ) KZH $= \frac{1}{2}\alpha.\frac{\alpha\delta\chi}{\sqrt{\alpha^2-\chi^2}} = \frac{\alpha^2\delta\chi}{2\sqrt{\alpha^2-\chi^2}}$ | (Σ) HZ $= \frac{\alpha\delta\chi}{\sqrt{2\alpha\chi-\chi^2}}$ | (Τ) ΗΓΔΖ $= \delta\chi\sqrt{2\alpha\chi-\chi^2}$

(Υ) KZH $= \frac{\alpha^2\delta\chi}{2\sqrt{2\alpha\chi-\chi^2}}$ | (Φ) HZ $= \frac{\alpha^3\delta\chi}{\alpha^2+\chi^2}$ | (Χ) ΗΓΔΖ $= \frac{\alpha^3\chi^2\delta\chi}{\overline{\alpha^2+\chi^2}^{\frac{3}{2}}}$ | (Ψ) KHZ $= \frac{\alpha^3\delta\chi}{2.\alpha^2+\chi^2}$

(Ω) $\delta\chi\sqrt{\frac{\beta\chi^2-\beta\alpha^2}{2\alpha}}$ = ΓΙΜΒ | (α) ΓΙ $= \delta\chi\frac{\sqrt{\overline{\beta+2\alpha}.\chi^2-2\alpha^3}}{\sqrt{2\alpha.\overline{\chi^2-\alpha^2}}}$ | (β) KIP $= \frac{\chi.\chi\delta\chi}{2\sqrt{\chi^2-\alpha^2}} - \frac{1}{2}\delta\chi\sqrt{\chi^2-\alpha^2}$

(γ) KIP $= \frac{\alpha^2\delta\chi}{2\sqrt{\chi^2-\alpha^2}}$ | (δ) $\frac{O\alpha^2\delta\chi}{2\sqrt{\chi^2-\alpha^2}} = \frac{1}{2}\alpha^2\lambda\overline{\chi-\sqrt{\chi^2-\alpha^2}}$

(δ) $y\delta\chi = \chi\delta\chi - \chi\delta y$ | (ε) $y\delta\chi + \chi\delta y = \chi\delta\chi$ | (ζ) $y\chi = \frac{1}{2}\chi^2$

(η) $y\delta\chi - \chi\delta y = y^3\delta y + y^2\delta y$ | (θ) $\frac{y\delta\chi - \chi\delta y}{y^2} = y\delta y + \delta y$ | (ι) $\frac{\chi}{y} = \frac{1}{2}y^2 + y$

(κ) $y^\nu\delta y = \mu y\delta\chi + \chi\delta y$ | (λ) $y^{\nu+\frac{1}{\mu}-1}\delta y = \mu y^{\frac{1}{\mu}}\delta\chi + \chi y^{\frac{1}{\mu}-1}\delta y$

(μ) $\frac{\mu}{\mu\nu+1}y^{\frac{\mu\nu+1}{\mu}} = \mu\chi y^{\frac{1}{\mu}}$

(A) $\chi^4\delta y^2+2\chi^3\delta\chi\delta y=\alpha^4\delta\chi^2-\chi^2y^2\delta\chi^2$ | (B) $\chi^2\delta y^2+2\chi\delta\chi\delta y+y^2\delta\chi^2=\frac{\alpha^4\delta\chi^2}{\chi^2}$

(Γ) $\chi\delta y+y\delta\chi=\frac{\alpha^2\delta\chi}{\chi}$ | (Δ) $y\chi=\alpha^2\lambda\chi$ | (E) $\chi\delta y^2+2y\delta y\delta\chi+\frac{y^2\delta\chi^2}{\chi}=\alpha^2\chi\delta\chi^2$

(Z) $\chi^2\delta y^2+2\chi y\delta y\delta\chi+y^2\delta\chi^2=\alpha^2\chi^2\delta\chi^2$ | (H) $\chi\delta y+y\delta\chi=\alpha\chi\delta\chi$

(Θ) $\chi y=\frac{1}{2}\alpha\chi^2$ | (I) $\frac{\delta\chi+\delta y}{\chi+y}$ | (K) $\chi+y=z$ | (Λ) $\delta\chi+\delta y=\delta z$

(M) $\frac{\delta\chi+\delta y}{\chi+y}=\frac{\delta z}{z}$ | (N) $O\frac{\delta\chi+\delta y}{\chi+y}=\lambda z=\lambda\overline{\chi+y}$

(Ξ) $\chi^2\delta y=y\delta\chi+\chi y\delta\chi$ | (O) $\alpha y=\chi z$ | (Π) $\alpha^2y^2+\chi^2z^2$ |

(P) $\delta y=\frac{\chi\delta z+z\delta\chi}{\alpha}$ (Σ) $\frac{\chi^3\delta z+\chi^2z\delta\chi}{\alpha}=\frac{\chi^2z^2\delta\chi}{\alpha^2}+\frac{\chi^2z\delta\chi}{\alpha}$

(T) $\alpha\chi^3\delta z=\chi^2z^2\delta z$ | (Υ) $\alpha\chi\delta z=z^2\delta\chi$ | (Φ) $\frac{\delta z}{z^2}=\frac{\delta\chi}{\alpha\chi}$ | (X) $-\frac{1}{z}=\frac{1}{\alpha}\lambda\chi$

(Ψ) $-\frac{\chi}{\alpha y}=\frac{1}{\alpha}\lambda\chi$ | (Ω) $-\frac{\chi}{y}=\lambda\chi$ | (α) $\chi^2\delta y^2+\chi y\delta\chi\delta y=\chi^2\delta\chi^2$

(β) $\alpha\chi^2\delta y^2+\chi^2z\delta\chi\delta y=\alpha\chi^2\delta\chi^2$ | (γ) $\alpha\delta y^2+z\delta\chi\delta y=\alpha\delta\chi^2$ | (δ) $\frac{\chi\delta z}{\alpha}=\delta\tau$

(ε) $\delta y=\frac{\alpha\delta\tau+z\delta\chi}{\alpha}$ | (ζ) $\delta y^2=\frac{\alpha^2\delta\tau^2+2\alpha z\delta\chi\delta\tau+z^2\delta\chi^2}{\alpha^2}$

(η) $\frac{\alpha^2\delta\tau^2+2\alpha z\delta\chi\delta\tau+z^2\delta\chi^2}{\alpha}+\frac{z^2\delta\chi^2+\alpha z\delta\chi\delta\tau}{\alpha}=\alpha\delta\chi^2$

(ϑ) $2z^2\delta\chi^2+3\alpha z\delta\chi\delta\tau+\alpha^2\delta\tau^2=\alpha^2\delta\chi^2$ | (ι) $\delta\tau=\frac{\sigma\delta\chi}{\alpha}$ | (κ) $\delta\tau^2=\frac{\sigma^2\delta\chi^2}{\alpha^2}$

(λ) $2z^2\delta\chi^2+3\sigma z\delta\chi^2+\sigma^2\delta\chi^2=\alpha^2\delta\chi^2$ | (μ) $2z^2+3\sigma z+\sigma^2=\alpha^2$

(ν) $2\alpha^2y^2+3\alpha\chi y\sigma+\chi^2\sigma^2=\alpha^2\chi^2$

(A) $2\alpha^2 y^2 + 3\alpha\chi y\cdot\frac{\chi\delta z}{\delta\chi} + \chi^2\cdot\frac{\chi^2\delta z^2}{\delta\chi^2} = \alpha^2\chi^2$

(B) $2\alpha^2 y^2\delta\chi^2 + 3\alpha\chi^2 y\delta\chi\cdot\delta z + \chi^4\cdot\delta z^2 = \alpha^2\chi^2\delta\chi^2$

(Γ) $2\alpha^2 y^2\delta\chi^2 + 3\alpha y\chi^2\delta\chi\cdot\frac{\alpha\chi\delta y - \alpha y\delta\chi}{\chi^2} + \chi^4\cdot\frac{\alpha^2\chi^2\delta y^2 - 2\alpha^2\chi y\delta y\delta\chi + \alpha^2 y^2\delta\chi^2}{\chi^4} = \alpha^2\chi^2\delta\chi^2$

(Δ) $\chi^2\delta y^2 + \chi y\delta\chi\delta y = \chi^2\delta\chi^2$ | (E) $\chi = y\cdot\frac{3\delta\chi^3 - 2\delta y^3}{\delta\chi^2\delta y + \delta\chi\delta y^2}$ | (Z) $\chi = O\tau\delta y$

(H) $\delta\chi = \tau\delta y$ | (Θ) $\delta\chi^2 = \tau^2\delta y^2$ | (I) $\delta\chi^3 = \tau^3\delta y^3$ | (K) $O\tau\delta y = y\cdot\frac{3\tau^3\delta y^3 - 2\delta y^3}{\tau^2\delta y^3 + \tau\delta y^3}$

(Λ) $O\tau\delta y = y\cdot\frac{3\tau^3 - 2}{\tau^2 + \tau}$ | (M) $\tau\delta y = \delta y\cdot\frac{3\tau^3 - 2}{\tau^2 + \tau} + y\cdot\frac{3\tau^4 + 6\tau^3 + 4\tau + 2}{\tau^2 + \tau}\cdot\delta\tau$

(N) $\overline{\tau - \frac{3\tau^3 + 2}{\tau^2 + \tau}}\cdot\delta y = y\cdot\frac{3\tau^4 + 6\tau^3 + 4\tau + 2}{\tau^2 + \tau^2}\cdot\delta\tau$

(Ξ) $\frac{\delta y}{y} = \frac{3\tau^4 + 6\tau^3 + 4\tau + 2}{\tau^2 + \tau\cdot\tau^2 - 2\tau + 2}\cdot\delta\tau$ | (O) $B\Delta = \frac{y\delta\chi}{\delta y}$ | $PZ = \frac{y}{\delta y}\sqrt{\delta\chi^2 + \delta y^2}$

(P) $\Pi\Delta = \frac{y\delta y}{\delta\chi}$ | (Σ) $Z\Pi = \frac{y}{\delta\chi}\sqrt{\delta\chi^2 + \delta y^2}$ | (T) $Z\Psi = \sqrt{\delta\chi^2 + \delta y^2}$ | (Υ) $B\Gamma = \frac{y\delta\chi - \chi\delta y}{\delta y}$

(Φ) $\Gamma O = \frac{y\delta\chi - \chi\delta y}{\delta\chi}$ | (X) $\Delta\Phi = y\delta\chi$ | (Ψ) $Z\Pi\Sigma\Psi = \frac{\pi\sqrt{\delta\chi^2 + \delta y^2} + y\delta\tau}{2}$ | (Ω) $\frac{\pi y^2\delta\chi}{2\eta}$

(α) $\pi\delta\iota = \delta\kappa$ | (β) $B\Delta = \sqrt{\delta\kappa^2 + \delta z^2}$ | (γ) $\Phi A = \frac{z\delta\kappa}{\sqrt{\delta\kappa^2 + \delta z^2}}$ | (δ) $B\Phi = \frac{z\delta z}{\sqrt{\delta\kappa^2 + \delta z^2}}$

(ε) $AB\Gamma = \frac{1}{2}z\delta\kappa$

(A) $\pi\delta z=\delta\varkappa$ | (B) $\delta z^2+\delta\varkappa^2=\delta\chi^2+\delta y^2$ | (Γ) $z^2=\chi^2+y^2$ | (Δ) $\pi^2\delta z^2=\delta\varkappa^2$ | (E) $\delta y=\frac{z\delta z-\chi\delta\chi}{y}$

(Z) $\delta y=\frac{z\delta z-\chi\delta\chi}{\sqrt{z^2-\chi^2}}$ | (H) $\delta y^2=\frac{z^2\delta z^2-2z\chi\delta z\delta\chi+\chi^2\delta\chi^2}{z^2-\chi^2}$ |

(Θ) $\delta z^2+\pi^2\delta z^2=\delta\chi^2+\frac{z^2\delta z^2-2z\chi\delta z\delta\chi+\chi^2\delta\chi^2}{z^2-\chi^2}$ | (I) $\pi^2\delta z^2=\frac{z^2\delta\chi^2-2z\chi\delta z\delta\chi+\chi^2\delta z^2}{z^2-\chi^2}$

(K) $\pi\delta z=\frac{z\delta\chi-\chi\delta z}{\sqrt{z^2-\chi^2}}$ | (Λ) $\chi=\frac{z\psi}{\alpha}$ | (M) $\chi^2=\frac{z^2\psi^2}{\alpha^2}$ | (N) $\delta\chi=\frac{z\delta\psi+\psi\delta z}{\alpha}$

(Ξ) $\frac{\pi\delta z}{z}=\frac{\delta\psi}{\sqrt{\alpha^2-\psi^2}}$ | (O) $z^2\delta z=\frac{z\delta\chi-\chi\delta z}{\sqrt{z^2-\chi^2}}$ | (Π) $\delta z\sqrt{z^2-\chi^2}=\frac{z\delta\chi-\chi\delta z}{z^2}$

(P) $\sqrt{z^2-\chi^2}=\alpha z$ | (Σ) $z^2-\chi^2=\alpha^2z^2$ | (T) $z^2.\overline{1-\alpha^2}=\chi^2$ | (Υ) $z=\frac{\chi}{\sqrt{1-\alpha^2}}$

(Φ) $\delta z=\frac{\delta\chi}{\sqrt{1-\alpha^2}}$ | (X) $\alpha z=\frac{\alpha\chi}{\sqrt{1-\alpha^2}}$ | (Ψ) $\delta z\sqrt{z^2-\chi^2}=\frac{\alpha\chi\delta\chi}{1-\alpha^2}$

(Ω) $\frac{\alpha\chi\delta\chi}{1-\alpha^2}=\frac{z\delta\chi-\chi\delta z}{z^2}$ | (α) $\frac{\alpha\chi^2}{2.\overline{1-\alpha^2}}=\frac{\chi}{z}$ | (β) $\alpha\chi=\frac{2-2\alpha^2}{z}$

(γ) $\frac{1}{z}:\chi::\alpha:2-2\alpha^2$ | (δ) $z^2=\alpha\chi$ | (ε) $z^2=z\psi$ | (ζ) $z=\psi$

(η) $z^2=\psi^2$ | (ϑ) $\delta z=\delta\psi$ | (ι) $\frac{\pi\delta z}{z}=\frac{\delta z}{\sqrt{\alpha^2-z^2}}$ | (κ) $\pi=\frac{z}{\sqrt{\alpha^2-z^2}}$ | (λ) $\frac{z\delta z}{\sqrt{\alpha^2-z^2}}=\delta\varkappa$

(Α) $\alpha \pm \frac{\gamma}{\beta}\chi = \sqrt{\chi^2+y^2}$ | (Β) $z=\sqrt{\chi^2+y^2}$ | (Γ) $z=\alpha\pm\frac{\gamma}{\beta}\chi$ | (Δ) $z=\alpha\pm\frac{\gamma}{\alpha\beta}z\psi$

(Ε) $\psi=\pm\frac{\alpha\beta}{\gamma}\mp\frac{\alpha^2\beta}{\gamma z}$ | (Ζ) $\delta\psi=\pm\frac{\beta\alpha^2\delta z}{\gamma z^2}$ | (Η) $\psi^2=\frac{\alpha^2\beta^2}{\gamma^2}-\frac{2\alpha^3\beta^2}{\gamma^2 z}+\frac{\alpha^4\beta^2}{\gamma^2 z^2}$

(Θ) $\alpha^2-\psi^2=\alpha^2-\frac{\alpha^2\beta^2}{\gamma^2}+\frac{2\alpha^3\beta^4}{\gamma^2 z^2}-\frac{\alpha^4\beta^2}{\gamma^2 z}$ | (Ι) $\alpha^2-\psi^2=\frac{\alpha^2\gamma^2-\alpha^2\beta^2\cdot z^2+2\alpha^3\beta^2-\alpha^4\beta^2}{\gamma^2 z^2}$

(Κ) $\sqrt{\alpha^2-\psi^2}=\frac{1}{\gamma z}\sqrt{\overline{\alpha^2\gamma^2-\alpha^2\beta^2}\cdot z^2+2\alpha^3\beta^2-\alpha^4\beta^2}$ | (Λ) $\frac{\pi\delta z}{z}=\frac{\delta\psi}{\sqrt{\alpha^2-\psi^2}}$

(Μ) $\frac{\pi\delta z}{z}=\pm\frac{\beta\alpha^2\delta z}{\gamma z^2}\cdot\frac{\gamma z}{\sqrt{\overline{\alpha^2\gamma^2-\alpha^2\beta^2}\cdot z^2+2\alpha^3\beta^2-\alpha^4\beta^2}}$ | (Ν) $\pi\delta z=\frac{\beta\alpha^2\delta z}{\sqrt{\overline{\alpha^2\gamma^2-\alpha^2\beta^2}\cdot z^2+2\alpha^3\beta^2-\alpha^4\beta^2}}$

(Ξ) $\pi\delta z=\delta\varkappa$ | (Ο) $\delta\varkappa=\frac{\beta\alpha\delta z}{\sqrt{\overline{\gamma^2-\beta^2}\cdot z^2+2\alpha^3\beta^2-\alpha^4\beta^2}}$ | (Π) $\alpha\pm\chi=\sqrt{\chi^2+y^2}$

(Ρ) $\alpha^2\pm2\alpha\chi+\chi^2=\chi^2+y^2$ | (Σ) $2\alpha\cdot\frac{1}{2}\alpha\pm\chi=y^2$ | (Τ) $2\alpha z=y^2$ | (Υ) $\alpha\beta\pm\gamma\chi=\beta\sqrt{\chi^2+y^2}$

(Φ) $\alpha^2\beta^2\pm2\alpha\beta\gamma\chi+\gamma^2\chi^2=\beta^2\chi^2+\beta^2y^2$ | (Χ) $\overline{\beta^2-\gamma^2}\cdot\chi^2\mp2\alpha\beta\gamma\chi=\alpha^2\beta^2-\beta^2y^2$

(Ψ) $\chi^2\mp\frac{2\alpha\beta\gamma\chi}{\beta^2-\gamma^2}+\frac{\alpha^2\beta^2\gamma^2}{\overline{\beta^2-\gamma^2}^2}=\frac{\alpha^2\beta^2-\beta^2y^2}{\beta^2-\gamma^2}+\frac{\alpha^2\beta^2\gamma^2}{\overline{\beta^2-\gamma^2}^2}$ | (Ω) $\chi\mp\frac{\alpha\beta\gamma}{\beta^2-\gamma^2}=z$

(α) $z^2=\frac{\alpha^2\beta^2-\beta^2y^2}{\beta^2-\gamma^2}+\frac{\alpha^2\beta^2\gamma^2}{\overline{\beta^2-\gamma^2}^2}$ | (β) $z^2=\frac{\alpha^2\beta^4-y^2\cdot\overline{\beta^4-\beta^2\gamma^2}}{\overline{\beta^2-\gamma^2}^2}$

(γ) $y^2\cdot\frac{\beta^2\cdot\overline{\beta^2-\gamma^2}}{\overline{\beta^2-\gamma^2}^2}=\frac{\alpha^2\beta^4}{\beta^2-\gamma^2}-z^2$ | (δ) $\frac{\beta^2y^2}{\beta^2-\gamma^2}=\frac{\alpha^2\beta^4}{\overline{\beta^2-\gamma^2}^2}-z^2$

(ε) $\frac{\beta^2y^2}{\gamma^2-\beta^2}=z^2-\frac{\alpha^2\beta^4}{\overline{\gamma^2-\beta^2}^2}$ | (ζ) $\alpha=\sqrt{\chi^2+y^2}$ | (η) $\alpha^2=\chi^2+y^2$ | (ϑ) $y^2=\alpha^2-\chi^2$

(A) $\alpha\chi = y^2$ | (B) $\alpha\delta\chi = 2y\delta y$ | (Γ) $\delta\chi = \frac{2y\delta y}{\alpha}$ | (Δ) $\frac{y\delta\chi}{\delta y} = \frac{y}{\delta y}\cdot\frac{2y\delta y}{\alpha} = \frac{2y^2}{\alpha}$

(E) $\frac{y\delta\chi}{\delta y} = 2\chi$ | (Z) $y^2 = \frac{\chi^3}{\alpha-\chi}$ | (H) $2y\delta y = \frac{3\alpha\chi^2 - 2\chi^3}{\overline{\alpha-\chi}^2}\cdot\delta\chi$ | (Θ) $\delta\chi = \frac{\overline{\alpha-\chi}^2}{3\alpha\chi^2-2\chi^3}\cdot 2y\delta y$

(I) $\frac{y\delta\chi}{\delta y} = \frac{y}{\delta y}\cdot\frac{\overline{\alpha-\chi}^2}{3\alpha\chi^2-2\chi^3}\cdot 2y\delta y = 2y^2\cdot\frac{\overline{\alpha-\chi}^2}{3\alpha\chi^2-2\chi^3}$ | (K) $\frac{y\delta\chi}{\delta y} = \frac{2\chi^3}{\alpha-\chi}\cdot\frac{\overline{\alpha-\chi}^2}{3\alpha\chi^2-2\chi^3} = \frac{2\chi\cdot\overline{\alpha-\chi}}{3\alpha-2\chi}$

(Λ) $\frac{y\delta y}{\delta\chi} = \frac{\alpha\delta\chi}{2\delta\chi} = \frac{1}{2}\alpha$ | (M) $\frac{y}{\delta y}\sqrt{\delta\chi^2+\delta y^2} = \frac{y\delta y}{\alpha\delta y}\sqrt{4y^2+\alpha^2} = \frac{y}{\alpha}\sqrt{4y^2+\alpha^2}$

(N) $\frac{y}{\delta y}\sqrt{\delta\chi^2+\delta y^2} = \sqrt{4\chi^2+\alpha\chi}$ | (Ξ) $\frac{y}{\delta\chi}\sqrt{\delta\chi^2+\delta y^2} = \frac{\sqrt{4y^2+\alpha^2}}{2} = \frac{\sqrt{4\chi+\alpha^2}}{2}$ | (O) $\sqrt{\delta\chi^2+\delta y^2} = \frac{\delta y}{\alpha}\sqrt{4y^2+\alpha^2}$

(Π) $\frac{\alpha}{8}\lambda z + \frac{1\cdot z^2}{2\cdot 8\cdot \alpha}$ | (P) $y\delta\chi = y\cdot\frac{2y\delta y}{\alpha} = \frac{2y^2\delta y}{\alpha}$ | (Σ) $\mathrm{O}y\delta\chi = \frac{2y^3}{3\alpha}$ | (T) $\mathrm{O}y\delta\chi = \frac{2}{3}\chi y$

(Υ) $\frac{\pi y^2\delta\chi}{2\eta} = \frac{\pi y^2}{2\eta}\cdot\frac{2y\delta y}{\alpha} = \frac{\pi y^3\delta y}{\alpha\eta}$ | (Φ) $\mathrm{C}\frac{\pi y^2\delta\chi}{2\eta} = \frac{\pi y^4}{4\alpha\eta}$ | (X) $\mathrm{C}\frac{\pi y^2\delta\chi}{2\alpha\eta} = \frac{\pi y^2\chi}{4\eta}$

(Ψ) $\frac{y\delta\chi}{\delta y} = 2\chi$ | (Ω) $\frac{y}{2\delta y} = \frac{\chi}{\delta\chi}$ | (α) $2\lambda y = \lambda\chi + \lambda\alpha$ | (β) $y^2 = \alpha\chi$ | (γ) $\frac{y\delta y}{\delta\chi} = \frac{1}{2}\alpha$

(δ) $y\delta y = \frac{1}{2}\alpha\delta\chi$ | (ε) $\frac{1}{2}y^2 = \frac{1}{2}\alpha\chi$ | (ζ) $y^2 = \alpha\chi$ | (η) $2\alpha\chi - \chi^2 = y^2$ | (ϑ) $\alpha\delta\chi - \chi\delta\chi = y\delta y$

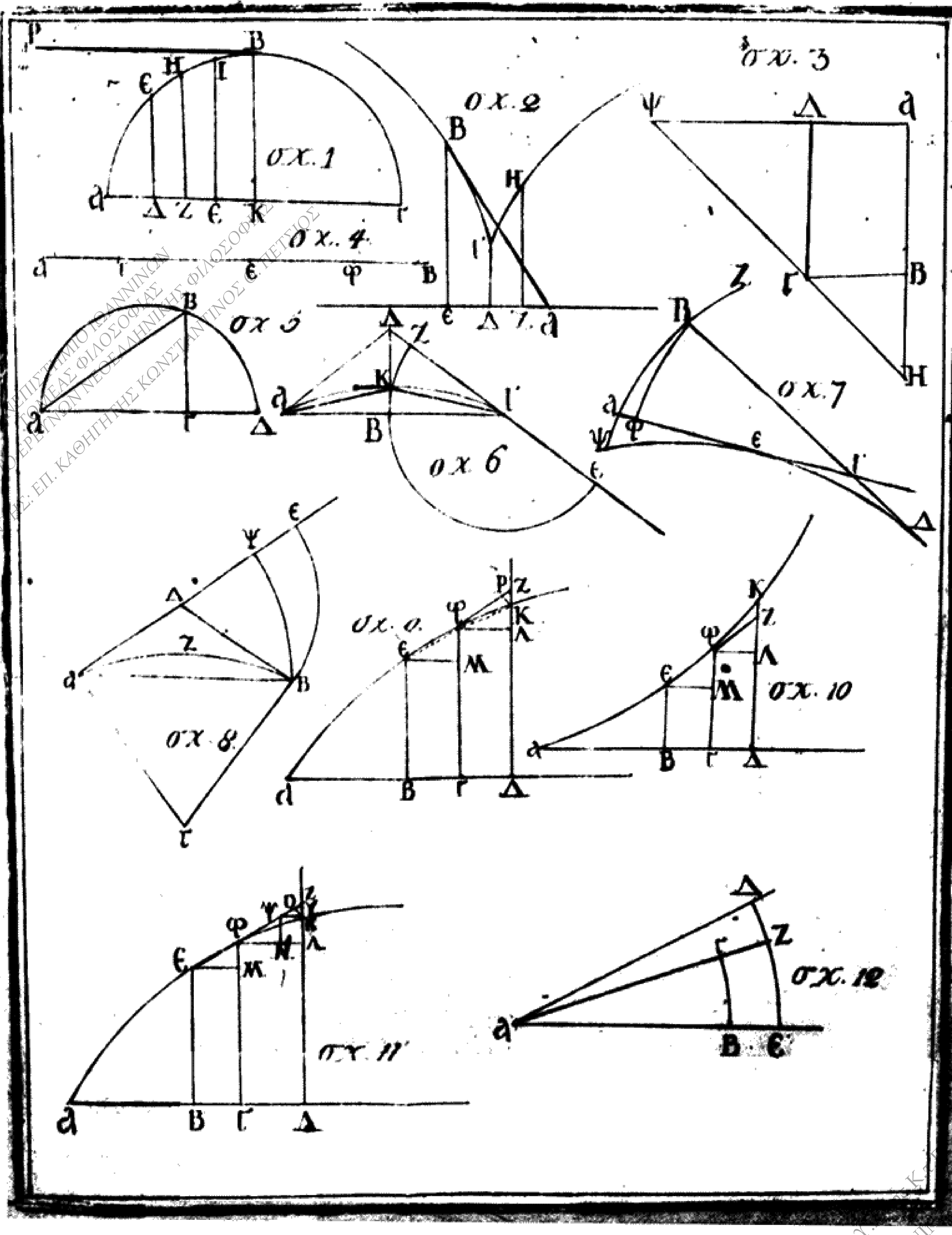
(ι) $\alpha = \chi$ | (κ) $2\alpha^2 - \alpha^2 = y^2$ | (λ) $y = \alpha$ | (μ) $z^2 - \frac{1}{2}\alpha^2 = y^2$ | (ν) $z\delta z = y\delta y$

(ξ) $y\chi = \overline{\alpha+\chi}\sqrt{\beta^2+\chi^2}$ | (ο) $y = \frac{\chi+\alpha}{\chi}\sqrt{\beta^2+\chi^2}$ (π) $\delta y = \frac{\chi^3-\alpha\beta^2}{\chi^2\sqrt{\beta^2+\chi^2}}\cdot\delta\chi$ | (ϱ) $\frac{\chi^3-\alpha\beta^2}{\chi^2\sqrt{\beta^2+\chi^2}}\cdot\delta\chi = 0$

(σ) $\chi = \sqrt[3]{\alpha\beta^2}$ | (τ) $\frac{\chi+\alpha}{\chi}\sqrt{\beta^2+\chi^2} = 0$ | (υ) $\beta^2 + \chi^2 = 0$ | (φ) $\chi = \sqrt{-\beta^2}$ | (χ) $\frac{\overline{\alpha+\chi}\cdot\overline{\gamma-\chi}}{\chi\cdot\overline{\beta-\chi}}$

(ψ) $\frac{\alpha\gamma+\gamma\chi-\alpha\chi-\chi^2}{\beta\chi-\chi^2}$ | (ω) $\frac{\gamma\chi^2-\beta\chi^2-\alpha\chi^2+2\alpha\gamma\chi-\alpha\beta\gamma}{\overline{\beta\chi-\chi^2}^2}\cdot\delta\chi$ | (A) $\overline{\gamma\chi^2-\beta\chi^2-\alpha\chi^2+2\alpha\gamma\chi-\alpha\beta\gamma}\cdot\delta\chi = 0$

(C) $\chi^2 + \frac{2\alpha\gamma\chi}{\gamma-\beta-\alpha} = \frac{\alpha\beta\gamma}{\gamma-\beta-\alpha}$ | (D) $\chi^2 + \frac{2\alpha\gamma}{\gamma-\beta-\alpha}\chi + \frac{\alpha^2\gamma^2}{\overline{\gamma-\beta-\alpha}^2} = \frac{\alpha^2\gamma^2}{\overline{\gamma-\beta-\alpha}^2} + \frac{\alpha\beta\gamma}{\gamma-\beta-\alpha}$ | (e) $\chi = -\frac{\alpha\gamma \pm \sqrt{\alpha^2\gamma^2+\alpha\beta\gamma^2-\alpha\beta^2\gamma-\alpha^2\beta\gamma}}{\gamma-\beta-\alpha}$


σχ. 1
σχ. 2
σχ. 3
σχ. 4
σχ. 5
σχ. 6
σχ. 7
σχ. 8
σχ. 9
σχ. 10
σχ. 11
σχ. 12

(Α) $\beta\chi + \frac{\alpha^3}{\chi} + \frac{\alpha^3}{\beta}$ | (Β) $\beta\delta\chi - \frac{\alpha^3\delta\chi}{\chi^2}$ | (Γ) $\frac{\beta\chi^2\delta\chi - \alpha^3\delta\chi}{\chi^2}$ | (Δ) $\overline{\beta\chi^2-\alpha^3}.\,\delta\chi = 0$ | (Ε) $\chi = \frac{\alpha\sqrt{\alpha}}{\sqrt{\beta}}$

(Ζ) $\beta, \frac{\alpha\sqrt{\alpha}}{\sqrt{\beta}}, \frac{\alpha\sqrt{\alpha}}{\sqrt{\beta}}$ | (Η) $\frac{2\alpha\chi\sqrt{\alpha}}{\sqrt{\chi}} + \frac{\alpha^3}{\chi}$ | (Θ) $\frac{\overline{\alpha\chi^2\sqrt{\alpha}-\alpha^3\sqrt{\chi}}.\,\delta\chi}{\chi^2\sqrt{\chi}}$ | (Ι) $\overline{\alpha\chi^2\sqrt{\alpha}-\alpha^3\sqrt{\chi}}.\,\delta\chi=0$

(Κ) $\alpha\chi^2\sqrt{\alpha}=\alpha^3\sqrt{\chi}$ | (Λ) $\alpha^2.\,\alpha.\,\chi^4=\alpha^6.\,\chi$ | (Μ) $\chi=\alpha$ | (Ν) $\sqrt{\alpha\chi}.\,\sqrt{\alpha\chi-\chi^2}=\sqrt{\alpha^2\chi^2-\alpha\chi^3}$

(Ξ) $\frac{\overline{2\alpha^2\chi-3\alpha\chi^2}.\,\delta\chi}{2\sqrt{\alpha^2\chi^2-\alpha\chi^3}}$ (Ο) $\overline{2\alpha^2\chi-3\alpha\chi^2}.\,\delta\chi=0$ | (Π) $2\alpha^2\chi=3\alpha\chi^2$ | (Ρ) $\chi=\frac{2}{3}\alpha$

(Σ) $H=\frac{\delta\sigma^3}{-\delta\chi\delta\delta y}$ | (Τ) $H=\frac{\sqrt{\overline{\delta\chi^2+\delta y^2}^3}}{-\delta\chi\delta\delta y}$ | (Υ) $\Phi K=\frac{z\delta y}{\delta\chi}$ | (Φ) $AK=\frac{z\delta\sigma}{\delta\chi}$

(Χ) $\frac{\delta\chi\delta z\delta\sigma + z\delta\chi\delta\delta\sigma - z\delta\sigma\delta\delta\chi}{\delta\chi^2}=0$ | (Ψ) $z=\frac{\delta\chi\delta z\delta\sigma}{\delta\sigma\delta\delta\chi-\delta\chi\delta\delta\sigma}$ | (Ω) $z=\frac{\delta\chi\delta y\delta\sigma}{\delta\sigma\delta\delta\chi-\delta\chi\delta\delta\sigma}$

(α) $H=\frac{\delta y\,\delta\sigma^2}{\delta\sigma\delta\delta\chi-\delta\chi\delta\delta\sigma}$ | (β) $H=\frac{y\delta\sigma^3}{\delta\chi\delta\sigma^2-y\,\delta\chi\delta\delta y}$ | (γ) $\tau\delta\sigma=H\delta\pi$ | (δ) $\tau\delta\sigma=y\delta y$

(ε) $H=\frac{y\delta y}{\delta\pi}$ | (ζ) $AM=\frac{z\delta\kappa}{\sqrt{\delta\kappa^2+\delta z^2}}$ | (η) $\pi=\frac{y\delta\chi}{\sqrt{\delta\chi^2+\delta y^2}}$ | (θ) $\delta\pi=\frac{\delta y\delta\chi.\,\overline{\delta\chi^2+\delta y^2}-y\delta\chi\delta y\delta\delta y}{\overline{\delta\chi^2+\delta y^2}\sqrt{\delta\chi^2+\delta y^2}}$

(ι) $\delta\pi=\frac{\delta y\delta\chi\delta\sigma^2-y\delta\chi\delta y\delta\delta y}{\delta\sigma^3}$ | (κ) $\delta\pi=\frac{\overline{y\delta\delta\chi+\delta y\delta\chi}.\,\overline{\delta\chi^2+\delta y^2}-y\delta\chi^2\delta\delta\chi}{\overline{\delta\chi^2+\delta y^2}\sqrt{\delta\chi^2+\delta y^2}}$

(λ) $\frac{y\delta y^2\delta\delta\chi+\delta\chi\delta y.\,\overline{\delta\chi^2+\delta y^2}}{\overline{\delta\chi^2+\delta y^2}\sqrt{\delta\chi^2+\delta y^2}}=\delta\pi$ | (μ) $\delta y.\,\frac{\overline{y\delta y\delta\delta\chi+\delta\chi\delta\sigma^2}}{\delta\sigma^3}=\delta\pi$ | (ν) $\delta\pi=\frac{y\delta\delta\chi+\delta y\delta\chi}{\sqrt{\delta\chi^2+\delta y^2}}$

(ξ) $\delta\sigma^2=\delta\chi^2+\delta y^2$ | (ο) $\delta\delta\chi=-\frac{\delta y\delta\delta y}{\delta\chi}$ | (π) $\delta\pi=\delta y.\,\frac{\overline{\delta\chi^2-y\delta\delta y}}{\delta\chi\delta\sigma}$ (ρ) $H=\frac{y\delta\sigma^3}{\delta\chi\delta\sigma^2-y\delta\chi\delta\delta y}$

(σ) $H=\frac{y\delta\sigma^3}{\delta\chi\delta\sigma^2+y\delta y\delta\delta\chi}$ (τ) $H=\frac{y\delta\chi\delta\sigma}{\delta\chi^2-y\delta\delta y}$

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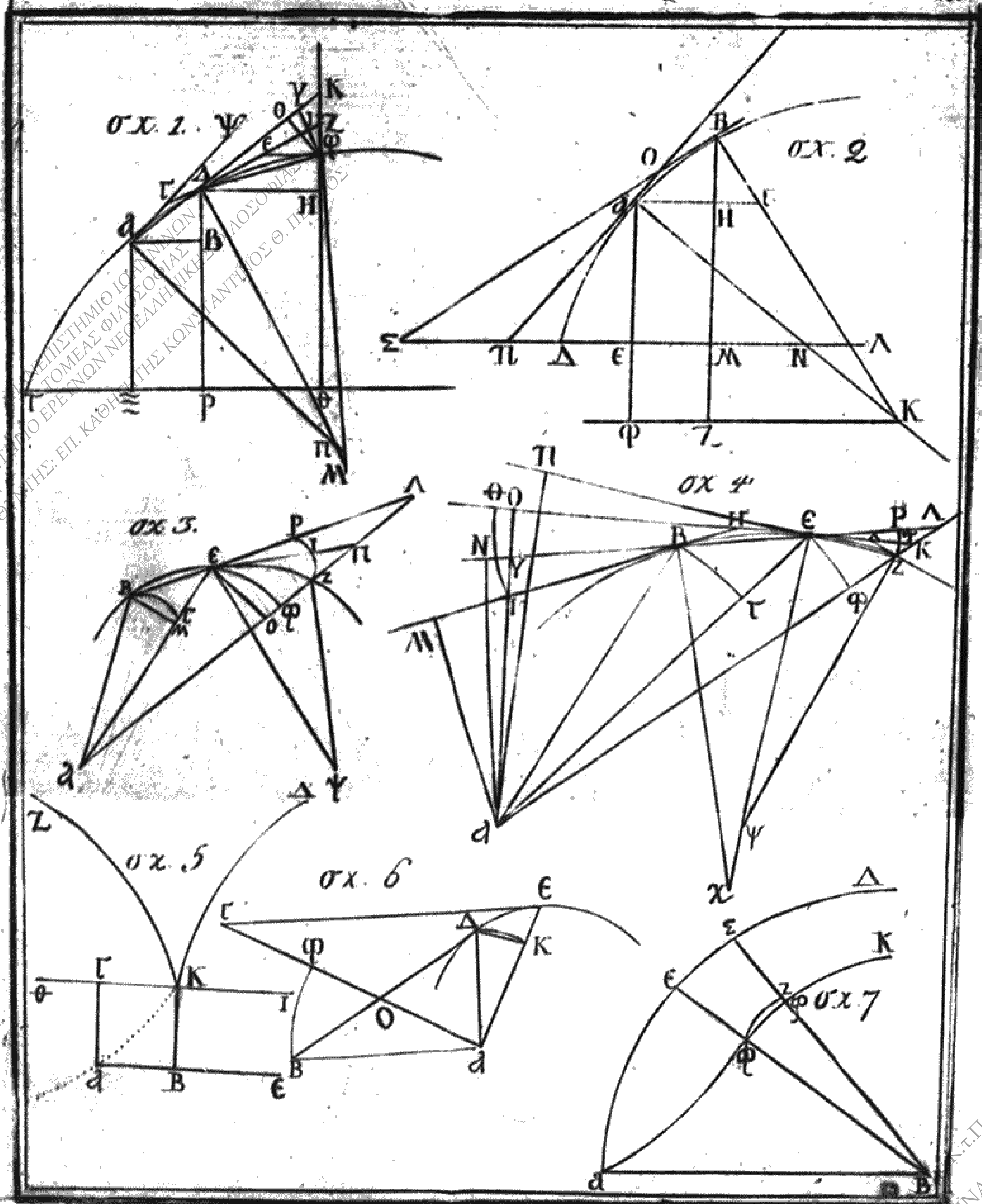

(A) $2\alpha\chi = y^2$ | (B) $H = \frac{\delta\sigma^3}{-\delta\chi\delta\delta y}$ | (Γ) $\alpha\delta\chi = y\delta y$ | (Δ) $\delta\chi^2 = \frac{y^2\delta y^2}{\alpha^2}$ | (E) $\delta\sigma = \sqrt{\delta\chi^2+\delta y^2}$

(Z) $\delta\sigma = \frac{\delta y}{\alpha}\sqrt{y^2+\alpha^2}$ | (H) $\delta\sigma^3 = \frac{\delta y^3}{\alpha^3}\sqrt{\overline{y^2+\alpha^2}^3}$ | (Θ) $y\delta\delta y + \delta y^2 = 0$ | (I) $-\delta\delta y = \frac{\delta y^2}{y}$

(K) $-\delta\chi\delta\delta y = \frac{\delta y^3}{\alpha}$ | (Λ) $\frac{\delta\sigma^3}{-\delta\chi\delta\delta y} = \frac{\delta y^3}{\alpha^3}\sqrt{\overline{y^2+\alpha^2}^3}\cdot\frac{\alpha}{\delta y^3} = \frac{1}{\alpha^2}\sqrt{\overline{y^2+\alpha^2}^3}$

(M) $H = \frac{1}{\alpha^2}\sqrt{\overline{y^2+\alpha^2}^3}$ | (N) $H = \frac{\delta y\delta\sigma^2}{\delta\sigma\delta\delta\chi-\delta\chi\delta\delta\sigma}$ | (Ξ) $\delta\sigma^2 = \frac{\delta y^2}{\alpha^2}\cdot\overline{y^2+\alpha^2}$ | (O) $\delta y\delta\sigma^2 = \frac{\delta y^3}{\alpha^2}\cdot\overline{y^2+\alpha^2}$

(Π) $\delta\delta\sigma = \frac{y\delta y^2 + y^2\delta\delta y + \alpha^2\delta\delta y}{\alpha\sqrt{y^2+\alpha^2}}$ | (P) $-\delta\chi\delta\delta\sigma = \frac{-y^2\delta y^3 - y^3\delta y\delta\delta y - \alpha^3 y\delta y\delta\delta y}{\alpha^2\sqrt{y^2+\alpha^2}}$

(Σ) $\alpha\delta\delta\chi = \delta y^2 + y\delta\delta y$ | (T) $\delta\sigma\delta\delta\chi = \frac{\delta y^3\sqrt{y^2+\alpha^2} + y\delta y\delta\delta y\sqrt{y^2+\alpha^2}}{\alpha^2}$

(Υ) $\delta\sigma\delta\delta\chi - \delta\chi\delta\delta\sigma = \frac{\delta y^3\sqrt{y^2+\alpha^2} + y\delta y\delta\delta y\sqrt{y^2+\alpha^2}}{\alpha^2} - \frac{y^2\delta y^3 - y^3\delta y\delta\delta y - \alpha^2 y\delta y\delta\delta y}{\alpha^2\sqrt{y^2+\alpha^2}}$

(Φ) $\delta\sigma\delta\delta\chi - \delta\chi\delta\delta\sigma = \frac{\delta y^3}{\sqrt{y^2+\alpha^2}}$ | (X) $H = \frac{\delta y\delta\sigma^2}{\delta\sigma\delta\delta\chi-\delta\chi\delta\delta\sigma} = \frac{\delta y^3}{\alpha^2}\cdot\overline{y^2+\alpha^2}\cdot\frac{1}{\delta y^3}\sqrt{y^2+\alpha^2}$

(Ψ) $H = \frac{1}{\alpha^2}\sqrt{\overline{y^2+\alpha^2}^3}$ | (Ω) $\alpha\delta\chi = \beta\delta y$ | (α) $H = \frac{y\delta\sigma^3}{\delta\chi\delta\sigma^2 - y\delta\chi\delta\delta y}$ | (β) $\delta\sigma = \sqrt{\delta\chi^2+\delta y^2}$

(γ) $\delta\chi^2 = \frac{\beta^2\delta y^2}{\alpha^2}$ | (δ) $\delta\sigma = \frac{\delta y}{\alpha}\sqrt{\beta^2+\alpha^2}$ | (ε) $\delta\sigma^3 = \frac{\delta y^3}{\alpha^3}\sqrt{\overline{\beta^2+\alpha^2}^3}$ | (ζ) $\delta\chi\delta\sigma^2 = \frac{\beta\delta y}{\alpha^3}\cdot\overline{\beta^2+\alpha}$

(η) $\beta\delta\delta y = 0$ | (ϑ) $H = \frac{y\delta\sigma^3}{\delta\chi\delta\sigma^2\cdot y\delta\chi\delta\delta y} = \frac{y}{\alpha^3}\delta y^3\sqrt{\overline{\beta^2+\alpha^2}^3}\cdot\frac{\alpha^3}{\beta\delta y^3\cdot\overline{\beta^2+\alpha^2}}$ | (ι) $H = \frac{y}{\beta}\sqrt{\beta^2+\alpha^2}$

(κ) $y = \alpha \pm \sqrt[3]{\alpha^3 - 2\alpha^2\chi + \alpha\chi^2}$ | (λ) $\delta y = \frac{-2\alpha^2\delta\chi + 2\alpha\chi\delta\chi}{3\cdot\overline{\alpha^3-2\alpha^3\chi+\alpha\chi^2}^{\frac{2}{3}}}$ | (μ) $\delta\delta y = \frac{-2\alpha\delta\chi^2}{[illegible]\cdot\overline{\alpha^3-2\alpha^2\chi+\alpha\chi^2}^{\frac{2}{3}}}$

(ν) $9\cdot\overline{\alpha^3-2\alpha^2\chi+\alpha\chi^2}^{\frac{2}{3}} = 0$ | (ξ) $\chi = \alpha$ | (ο) $y = \alpha$ | (π) $z^3 = \alpha\phi^2$

(Α) $\Gamma\Phi = \frac{\delta y^2 \delta\chi - y\delta\chi\,\delta\delta y}{\delta y^2}$ | (Β) $\Gamma O = \frac{\delta y^2\delta\chi - y\delta\chi\delta\delta y + \delta\chi^3}{\delta y^2}$

(Γ) $\beta z = \alpha^2 - 2\alpha y + y^2$ | (Δ) $\delta z = \frac{-2\alpha\delta y + 2y\delta y}{\beta}$ | (Ε) $\delta\chi = \frac{2y^2\delta y - 2\alpha y\delta y}{\alpha\beta}$

(Ζ) $\frac{4y\delta y^2 + 2y^2\delta\delta y - 2\alpha\delta y^2 - 2\alpha y\delta\delta y}{\alpha\beta} = 0$ | (Η) $y\delta\delta y = \frac{\alpha\delta y^2 - 2y\delta y^2}{y-\alpha} = \frac{\overline{\alpha - 2y}}{y-\alpha}\,\delta y^2$

(Θ) $\frac{\delta y^2\delta\chi - y\delta\chi\delta\delta y + \delta\chi^3}{\delta y^2} = 0$ | (Ι) $\delta y^2 + \delta\chi^2 - y\delta\delta y = 0$

(Κ) $\delta y^2 + \frac{4y^4\delta y^2 - 8\alpha y^3\delta y^2 + 4\alpha^2 y^2\delta y^2}{\alpha^2\beta^2.} \frac{-\alpha\delta y^2 + 2y\delta y^2}{y-\alpha} = 0$

(Λ) $\frac{4y^5 - 12\alpha y^4 + 12\alpha^2 y^3 - 4\alpha^3 y^2 + 3\alpha^2\beta^2 y - 2\alpha^3\beta^2}{\alpha^2\beta^2.\ \overline{y-\alpha}} = 0$

(Μ) $y^5 - 3\alpha y^4 + 3\alpha^2 y^3 - \alpha^3 y^2 + \frac{3}{4}\alpha^2\beta^2 y = \frac{1}{2}\alpha^3\beta^2$