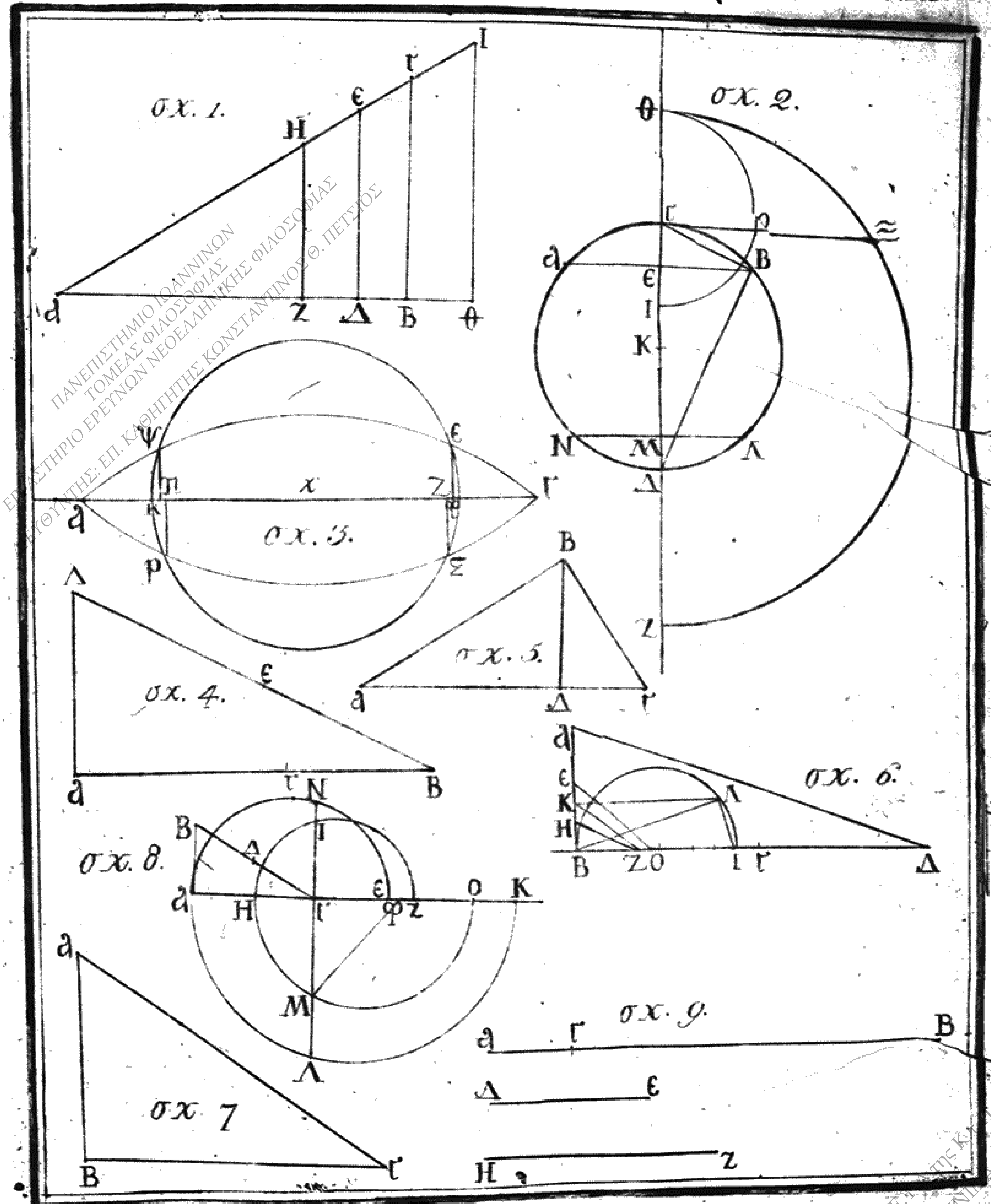

σχ. 1.
σχ. 2.
σχ. 3.
σχ. 4.
σχ. 5.
σχ. 6.
σχ 7
σχ. 8.
σχ. 9.

(Α) $\chi^2 = \frac{\chi^4}{4\alpha^2} + \beta^2$ | (Β) $\chi^4 - 4\alpha^2\chi^2 = -4\alpha^2\beta^2$

(Γ) $\chi^4 - 4\alpha^2\chi^2 + 4\alpha^4 = 4\alpha^4 - 4\alpha^2\beta^2$ | (Δ) $\chi^2 = 2\alpha^2 \pm 2\alpha\sqrt{\alpha^2 - \beta^2}$

(Ε) $\chi = \sqrt{\alpha . \overline{2\alpha \pm 2\sqrt{\alpha^2 - \beta^2}}}$ | (Ζ) $\chi = \sqrt{\alpha . \overline{2\alpha + 2\sqrt{\alpha^2 - \beta^2}}}$

(Η) $\chi = \sqrt{\alpha . \overline{2\alpha - 2\sqrt{2\alpha^2 - \beta^2}}}$ | (Θ) $\chi : y :: y : \Omega$ | (Ι) $y^2 = \chi\Omega$

(Κ) $\chi + y + \Omega = 21$ | (Λ) $\chi^2 + y^2 + \Omega^2 = 189$

(Μ) $\chi^2 + y^2 + \Omega^2 + 2y\chi + 2y\Omega + 2\chi\Omega = 441$

(Ν) $\chi^2 + y^2 + \Omega^2 + 2y . \overline{\chi + \Omega} + 2\chi\Omega = 441$ | (Ξ) $\chi + \Omega = 21 - y$

(Ο) $2\chi\Omega = 2y^2$ | (Π) $189 + 2y . \overline{21 - y} + 2y^2 = 441$

(Ρ) $42y - 2y^2 + 2y^2 = 252$ | (Σ) $y = \frac{252}{42} = 6$ | (Τ) $\chi\Omega = 36$

(Υ) $\Omega = \frac{36}{\chi}$ | (Φ) $\chi + 6 + \frac{36}{\chi} = 21$ | (Χ) $\chi^2 - 15\chi = -36$

(Ψ) $\chi^2 - 15\chi + \frac{225}{4} = \frac{225}{4} - 36 = \frac{81}{4}$

(Ω) $\chi = \frac{15}{2} + \frac{9}{2} = \frac{24}{2} = 12$ | (Α) $12 + 6 + \Omega = 21$ | (C) $\Omega = 3$

(A) $\chi+y+\Omega=30$ | (B) $2\chi+y+\frac{1}{2}\Omega=30$ | (Γ) $\chi=30-y-\Omega$

(Δ) $\chi=\frac{60-2y+\Omega}{4}$ | (E) $30-y-\Omega=\frac{60-2y-\Omega}{4}$ (Z) $y=\frac{60-3\Omega}{2}$

(H) $y=\frac{60-6}{2}=\frac{54}{2}=27$ | (Θ) $\chi+27+2=30$ | $\chi=1$ | (I) $y=\frac{60-12}{2}=\frac{48}{2}=24$

(K) $\chi+24+4=30$ | $\chi=2$ | (Λ) $y=\frac{60-18}{2}=\frac{42}{2}=21$ | (M) $\chi+21+6=30$ | $\chi=3$

(N) $\alpha,\ \alpha+\beta,\ \alpha+2\beta,\ \alpha+3\beta,\ \alpha+4\beta,\ \alpha+5\beta\ \ldots\ \alpha+\overline{\nu-1}.\beta$

(Ξ) $E=\alpha+\overline{\nu-1}.\beta$ | (O) $K=\overline{\alpha+E}.\frac{\nu}{2}$ | (Π) $K=\overline{\alpha+\alpha+\nu\beta-\beta}.\frac{\nu}{2}=\frac{2\alpha\nu+\nu^2\beta-\nu\beta}{2}$

(P) $1,\ 1+2,\ 1+4,\ 1+6,\ 1+8,\ 1+10,\ \ldots\ 1+\overline{\nu-1}.2$

(Σ) $E=1+\overline{6-1}.2=11$ | (T) $K=\frac{2.1.6+36.2-6.2}{2}=36$

(Υ) $0+1+1+1+1$, $\kappa\tau=K\nu^0$ | (Φ) $1+1+1+1+1$, $\kappa\tau=K\overline{\nu+1}^0$

II $0+1+2+3+4$, $\kappa\tau=K\nu^1$ | II. $1+2+3+4+5$, $\kappa\tau=K\overline{\nu+1}^1$

III $0+1+4+9+16$, $\kappa\tau=K\nu^2$ | III. $1+4+9+16+25$. $\kappa\tau=K\overline{\nu+1}^2$

I. $0+1+8+27+64$, $\kappa\tau=K\nu^3$ | IV. $1+8+27+64+125$, $\kappa\tau=K\overline{\nu+1}^3$

(X) $K\overline{\nu+1}^0-K\nu^0=\overline{\nu+1}^0=1$ | (Ψ) $K\overline{\nu+1}^1-K\nu^1=\nu+1$ | (Ω) $K\overline{\nu+1}^2-K\nu^2=\overline{\nu+1}$

(A) $K\overline{\nu+1}^3-K\nu^3=\overline{\nu+1}^3$ | (C) $\overline{\nu+1}^2=\nu^2+2\nu+1$ | (D) $K\overline{\nu+1}^2=K\nu^2+2K\nu+\nu+1$

(E) $K\overline{\nu+1}^2-K\nu^2-\nu-1=2K\nu$ | (F) $\overline{\nu+1}^2-\nu-1=2K\nu$ | (G) $\nu^2+2\nu+1-\nu-1=2K\nu$

(L) $K\nu=\frac{\nu^2+\nu}{2}=\frac{\nu}{2}.\overline{\nu+1}$ | (M) $\overline{\nu+1}^3=\nu^3+3\nu^2+3\nu+1$ | (N) $K\overline{\nu+1}^3=K\nu^3+3K\nu^2+3K\nu+\nu+1$

(Q) $K\overline{\nu+1}^3-K\nu^3-3K\nu-\nu-1=3K\nu^2$ | (R) $\overline{\nu+1}^3-\frac{3\nu^2-3\nu}{2}-\nu-1=3K\nu^2$

(S) $K\nu^2=\nu.\frac{\overline{2\nu^2+3\nu+1}}{2.3}$ | (N) $K\nu=\frac{4}{2}.\overline{4+1}=10$ | (W) $K\nu^2=4.\frac{2.16+3.4+1}{2.3}=30$

(A) $\alpha,\ \alpha+\beta,\ \alpha+2\beta,\ \alpha+3\beta,\ \alpha+4\beta \ldots \alpha+\overline{\nu-1}.\beta = K\nu.\ \frac{\overline{2\alpha+\nu\beta-\beta}}{1,2}$

(B) $\alpha,\ 2\alpha+\beta,\ 3\alpha+3\beta,\ 4\alpha+6\beta,\ 5\alpha+10\beta \ldots \nu.\frac{\overline{2\alpha+\nu\beta-\beta}}{1.2} = K\nu.\ \frac{\overline{3\alpha\nu+3\alpha-\beta+\beta\nu^2}}{1.2.3}$

(C) $\frac{\overline{2\alpha-\beta}}{2}.\ K\nu + \frac{\beta}{2}.\ K\nu^2$

(Γ) $\alpha,\ 3\alpha+\beta,\ 6\alpha+4\beta,\ 10\alpha+10\beta,\ 15\alpha+20\beta \ldots,\ \nu.\frac{\overline{3\alpha\nu+3\alpha-\beta+\beta\nu^2}}{1.\ 2.\ 3}$

(Δ) $1,\ 2,\ 3,\ 4,\ 5,\ \ldots.\ 1+\overline{\nu-1}.\ 1 = K\nu = \frac{\overline{\nu+1}.\ \nu}{1.\ 2}$

(E) $1,\ 3,\ 6,\ 10,\ 15,\ \ldots \frac{\overline{\nu+1}.\ \nu}{1.2} = \frac{\overline{\nu+2}.\ \overline{\nu+1}.\ \nu}{1.\ 2.\ 3.}$

(Z) $1, 4, 10, 20, 35, \ldots \frac{\overline{\nu+2}.\ \overline{\nu+1}.\ \nu}{1.\ 2.\ 3} = \frac{\overline{\nu+3}.\ \overline{\nu+2}.\ \overline{\nu+1}.\ \nu}{1.\ 2.\ 3.\ 4}$

(H) $1, 5, 15, 35, 70, \ldots \frac{\overline{\nu+3}.\ \overline{\nu+2}.\ \overline{\nu+1}.\ \nu}{1.\ 2.\ 3.\ 4} = \frac{\overline{\nu+4}.\ \overline{\nu+3}.\ \overline{\nu+2}.\ \overline{\nu+1}.\ \nu}{1.\ 2.\ 3.\ 4.\ 5}$

(Θ) 1, 3, 5, 7, 9 .... κτ | (I) 1, 4, 9, 16, 25, κτ | (K) 1, 15, 14, 30, 55, κτ.

(Λ) α, β . . . . αβ

(M) α, β, γ . . . . αβ, αγ, βγ

(N) α, β, γ, δ . . . αβ, αγ, αδ, βγ, βδ, γδ

(Ξ) α, β, γ, δ, ε . . . αβ, αγ, αδ, αε, βγ, βδ, βε, γδ, γε, δε

(O) ν . . . . $\frac{\nu.\ \nu-1}{1.\ 2}$

(Π) α, β, γ . . . . αβγ

(P) α, β, γ, δ . . . . . . αβγ, αβδ, αγδ, βγδ

(Σ) α, β, γ, δ, ε . . . . αβγ, αβδ, αβε, αγδ, αγε, αδε, βγδ, βγε, βδε, γδε

(T) ν. . . . . $\frac{\nu.\ \overline{\nu-1}.\ \overline{\nu-2}}{1.\ 2.\ 3.}$

(A) $\alpha, \mu\alpha, \mu^2\alpha, \mu^2\alpha, \mu^4\alpha, \mu^5\alpha \ldots \mu^{\nu-1}\alpha = K\frac{\mu^\nu\alpha - \alpha}{\mu-1}$ | (B) $E = \mu^{\nu-1}\alpha$

(Γ) $\frac{\mu\alpha-\alpha}{\mu-1}, \frac{\mu^2\alpha-\alpha}{\mu-1}, \frac{\mu^3\alpha-\alpha}{\mu-1}, \frac{\mu^4\alpha-\alpha}{\mu-1} \ldots \frac{\mu^\nu\alpha-\alpha}{\mu-1} = K\frac{\mu^{\nu+1}\alpha-\mu\alpha}{\overline{\mu-1}^2} - \frac{\nu\alpha}{\mu-1}$

(Δ) $\frac{\mu\alpha}{\mu-1}, \frac{\mu^2\alpha}{\mu-1}, \frac{\mu^3\alpha}{\mu-1}, \frac{\mu^4\alpha}{\mu-1} \ldots \frac{\mu^\nu\alpha}{\mu-1} = K\frac{\mu^{\nu+1}\alpha-\mu\alpha}{\overline{\mu-1}^2}$

(E) $\frac{\alpha}{\mu-1}, \frac{\alpha}{\mu-1}, \frac{\alpha}{\mu-1}, \frac{\alpha}{\mu-1}, \ldots \frac{\alpha}{\mu-1} = K\frac{\nu\alpha}{\mu-1}$

(Z) $\frac{\mu^2\alpha-\mu\alpha}{\overline{\mu-1}^2} - \frac{\alpha}{\mu-1}, \frac{\mu^3\alpha-\mu\alpha}{\overline{\mu-1}^2} - \frac{2\alpha}{\mu-1}, \frac{\mu^4\alpha-\mu\alpha}{\overline{\mu-1}^2} - \frac{3\alpha}{\mu-1} \ldots \frac{\mu^{\nu+1}\alpha-\mu\alpha}{\overline{\mu-1}^2} - \frac{\nu\alpha}{\mu-1}$

(H) $\frac{\mu^2\alpha}{\overline{\mu-1}^2}, \frac{\mu^3\alpha}{\overline{\mu-1}^2}, \frac{\mu^4\alpha}{\overline{\mu-1}^2} \ldots \frac{\mu^{\nu+1}\alpha}{\overline{\mu-1}^2} = K\frac{\mu^{\nu+2}\alpha-\mu^2\alpha}{\overline{\mu-1}^3}$

(Θ) $\frac{\mu\alpha}{\overline{\mu-1}^2}, \frac{\mu\alpha}{\overline{\mu-1}^2}, \frac{\mu\alpha}{\overline{\mu-1}^2} \ldots \frac{\mu\alpha}{\overline{\mu-1}^2} = K\frac{\nu\mu\alpha}{\overline{\mu-1}^2}$

(I) $\frac{\alpha}{\mu-1}, \frac{2\alpha}{\mu-1}, \frac{3\alpha}{\mu-1} \ldots \frac{\nu\alpha}{\mu-1} = K\,\overline{\nu+1}.\frac{\nu.}{2}\frac{\alpha}{\mu-1}$

(K) $\frac{\mu^{\nu+2}\alpha-\mu^2\alpha}{\overline{\mu-1}^3} - \frac{\nu\mu\alpha}{\overline{\mu-1}^2} - \nu.\frac{\overline{\nu+1}.}{1.\ 2}\frac{\alpha}{\mu-1}$

(Λ) $K = E\frac{\mu^\nu - \alpha}{\mu-1}$

(M) $K = \frac{\mu^\nu\alpha-\alpha}{\mu-1}$

(N) $K = \frac{\mu^{\nu+2}\alpha-\mu^2\alpha}{\overline{\mu-1}^3}$

(Ξ) $K = \frac{\nu\mu\alpha}{\overline{\mu-1}^2}$

(O) $K = \overline{\nu+1}.\frac{\nu.}{2}\frac{\alpha}{\mu-1}$

(Π) 1, 2, 4, 8, 16, 32 … 64 = K 127

(Ρ) 1, 3, 7, 15 …….. 31 = K 57

(Σ) 1, 4, 11, ….. 26 = K 42.

(Α) $\chi^2=\alpha^2-2\alpha\chi+\chi^2-2AB.B\Gamma$ | (Β) $\beta^2=\frac{1}{2}AB.B\Gamma$ | (Γ) $4\beta^2=2AB.B\Gamma$

(Δ) $\chi^2=\alpha^2-2\alpha\chi+\chi^2-4\beta^2$ | (Ε) $2\alpha\chi=\alpha^2-4\beta^2$ | (Ζ) $\chi=\frac{1}{2}\alpha-\frac{2\beta^2}{\alpha}$

(Η) $\beta^2=\frac{1}{2}\chi y$ | (Θ) $y=\frac{2\beta^2}{\chi}$ | (Ι) $\frac{y^4}{\chi^2}=y^2+\chi^2$ | (Κ) $y^4=y^2\chi^2+\chi^4$ | (Λ) $y\chi=2\alpha^2$

(Μ) $y^2\chi^2=4\alpha^4$ | (Ν) $\chi^4=\frac{16\alpha^8}{y^4}$ | (Ξ) $y^4=4\alpha^4+\frac{16\alpha^8}{y^4}$ | (Ο) $y^8-4\alpha^4y^4=16\alpha^8$

(Π) $y^8-4\alpha^4y^4+4\alpha^8=4\alpha^8+16\alpha^8$ | (Ρ) $y^4-2\alpha^4=2\alpha^4\sqrt{5}$ | (Σ) $y^4=2\alpha^4+2\alpha^4\sqrt{5}$

(Τ) $y=\alpha\sqrt[4]{2+2\sqrt{5}}$ | (Υ) $2\alpha^4+2\alpha^4\sqrt{5}=4\alpha^4+\chi^4$ | (Φ) $\chi^4=2\alpha^4\sqrt{5}-2\alpha^4$

(Χ) $\chi=\alpha\sqrt[4]{2\sqrt{5}-2}$ | (Ψ) $\alpha\chi-\chi^2=\beta\gamma$ | (Ω) $\chi^2-\alpha\chi=-\beta\gamma$.

(α) $\chi^2-\alpha\chi+\frac{1}{4}\alpha^2=\frac{1}{4}\alpha^2-\beta\gamma$ | (β) $\chi-\frac{1}{2}\alpha=\sqrt{\frac{1}{4}\alpha^2-\beta\gamma}$ | (γ) $\chi=\frac{1}{2}\alpha+\sqrt{\frac{1}{4}\alpha^2-\beta\gamma}$

(δ) $\gamma\chi+\chi^2=\alpha\beta$ | (ε) $\chi^2+\gamma\chi+\frac{\gamma^2}{4}=\frac{\gamma^2}{4}+\alpha\beta$ | (ζ) $\chi+\frac{1}{2}\gamma=\sqrt{\frac{1}{4}\gamma^2+\alpha\beta}$ | (η) $\chi=\sqrt{\frac{1}{4}\gamma^2+\alpha\beta}-\frac{1}{2}\gamma$

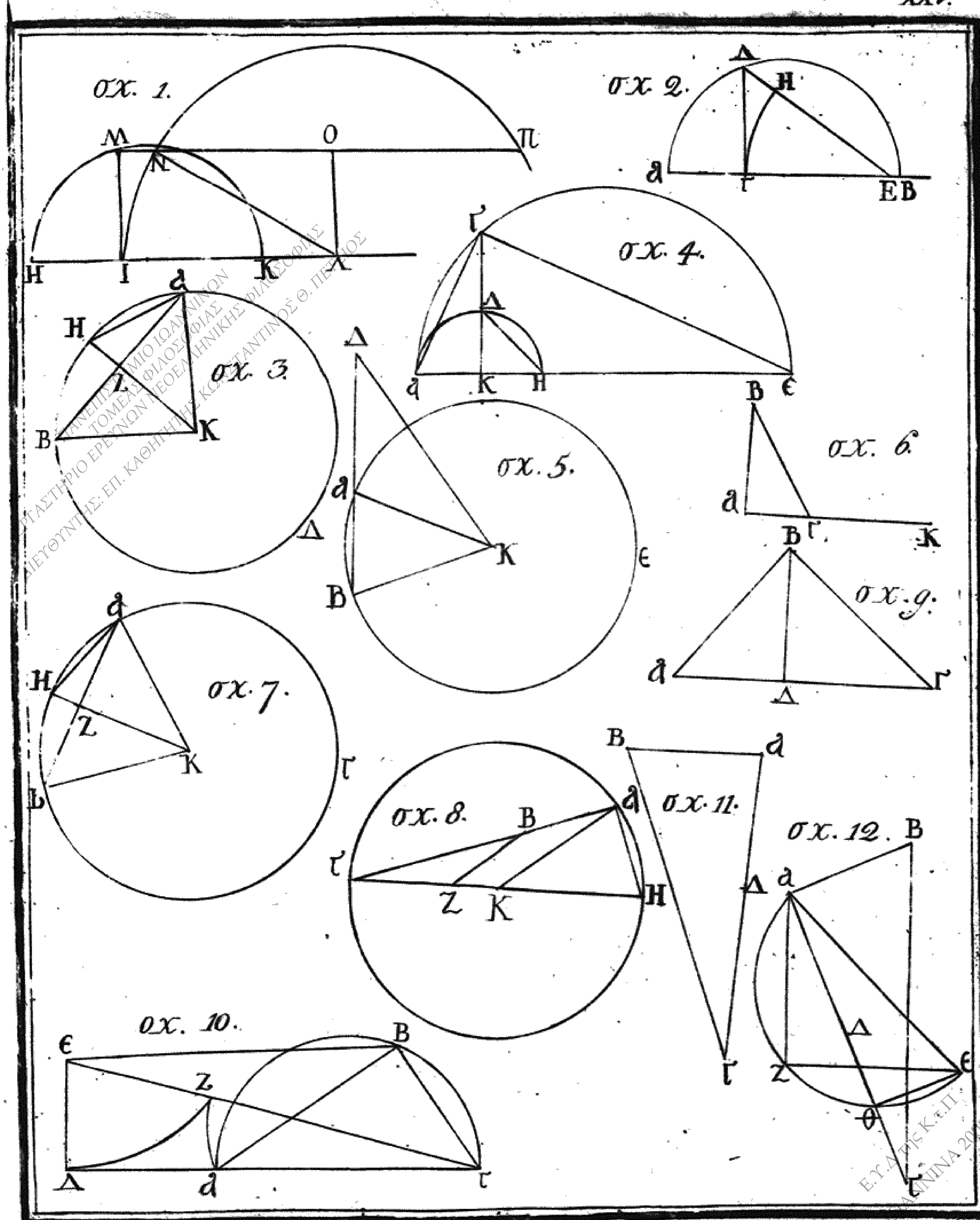
(ϑ) $\beta^2=\frac{1}{2}y^2+y^2-\sqrt{2y^4}+\frac{1}{2}y^2$ | (ι) $\beta^2=2y^2-\sqrt{2y^4}$ | (κ) $\sqrt{2y^4}=2y^2-\beta^2$

(λ) $2y^4=4y^4-4\beta^2y^2+\beta^4$ | (μ) $y^4-2\beta^2y^2=-\frac{1}{2}\beta^4$ | (ν) $y^4-2\beta^2y^2+\beta^4=\frac{1}{2}\beta^4$

(ξ) $y^2-\beta^2=\beta\sqrt{\frac{1}{2}\beta^2}$ | (ο) $y^2=\beta^2+\beta\sqrt{\frac{1}{2}\beta^2}$ | (π) $y=\sqrt{\beta^2+\beta\sqrt{\frac{1}{2}\beta^2}}$

(ϱ) $\chi^2=\alpha^2+\alpha\chi$ | (σ) $\chi^2-\alpha\chi=\alpha^2$ | (τ) $\chi^2-\alpha\chi+\frac{1}{4}\alpha^2=\frac{1}{4}\alpha^2+\alpha^2=\frac{5}{4}\alpha^2$

(υ) $\chi-\frac{1}{2}\alpha=\sqrt{\frac{5}{4}\alpha^2}$ | (φ) $\chi=\frac{1}{2}\alpha+\sqrt{\frac{5}{4}\alpha^2}$


σχ. 1.
σχ. 2.
σχ. 3.
σχ. 4.
σχ. 5.
σχ. 6.
σχ. 7.
σχ. 8.
σχ. 9.
σχ. 10.
σχ. 11.
σχ. 12.

(A) $\beta^2=\alpha^2-2\alpha\sqrt{\alpha^2-\frac{1}{4}\chi^2}+\alpha^2-\frac{1}{4}\chi^2+\frac{1}{4}\chi^2$ | (B) $\beta^2=2\alpha^2-2\alpha\sqrt{\alpha^2-\frac{1}{4}\chi^2}$

(Γ) $2\alpha\sqrt{\alpha^2-\frac{1}{4}\chi^2}=2\alpha^2-\beta^2$ | (Δ) $4\alpha^4-\alpha^2\chi^2=4\alpha^4-4\alpha^2\beta^2+\beta^4$

(E) $-\alpha^2\chi^2=-4\alpha^2\beta^2+\beta^4$ | (Z) $\chi^2=\frac{4\alpha^2\beta^2-\beta^4}{\alpha^2}$ | (H) $\chi=\frac{\beta}{\alpha}\sqrt{4\alpha^2-\beta^2}$

(Θ) $\chi^2=\frac{y^2+2\alpha y+\alpha^2}{4}+\frac{y^2-2\alpha y+\alpha^2}{4}$ | (I) $\frac{\alpha^2-y^2}{4}=\beta\chi$ | (K) $\chi^2=\frac{y^2+\alpha^2}{2}$

(Λ) $2\chi^2-\alpha^2=y^2$ | (M) $y^2=\alpha^2-4\beta\chi$ | (N) $2\chi^2-\alpha^2=\alpha^2-4\beta\chi$ | (Ξ) $\chi^2+2\beta\chi=\alpha^2$

(O) $\chi^2+2\beta\chi+\beta^2=\beta^2+\alpha^2$ | (Π) $\chi+\beta=\sqrt{\beta^2+\alpha^2}$ | (P) $\chi=\sqrt{\alpha^2+\beta^2}-\beta$

(Σ) $\gamma^2=\chi^2+\alpha\chi+\frac{1}{4}\alpha^2+\chi^2-\alpha\chi+\frac{1}{4}\alpha^2$ | (T) $\gamma^2=2\chi^2+\frac{1}{2}\alpha^2$ | (Υ) $2\chi^2=\gamma^2-\frac{1}{2}\alpha^2$

(Φ) $\chi^2=\frac{1}{2}\gamma^2-\frac{1}{4}\alpha^2$ | (X) $\chi=\sqrt{\frac{1}{2}\gamma^2-\frac{1}{4}\alpha^2}$ | (Ψ) $y^2+\alpha y=\beta^2$ | (Ω) $y^2+\alpha y+\frac{1}{4}\alpha^2=\frac{1}{4}\alpha^2+\beta^2$

(α) $y+\frac{1}{2}\alpha=\sqrt{\frac{1}{4}\alpha^2+\beta^2}$ | (β) $y=\sqrt{\frac{1}{4}\alpha^2+\beta^2}-\frac{1}{2}\alpha$ | (γ) $\alpha^2y^2-y^4=\beta^2\gamma^2$

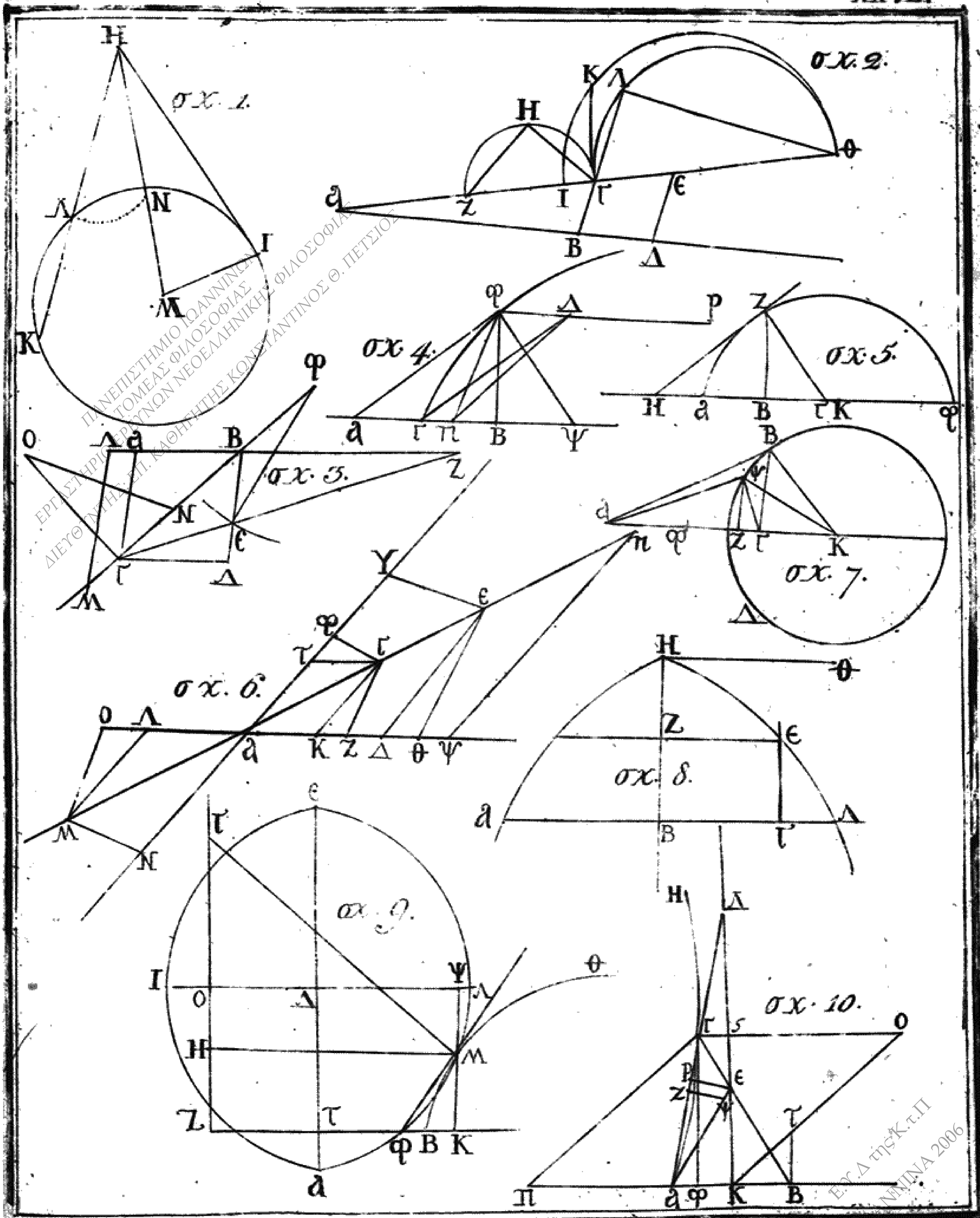
(δ) $y^4-\alpha^2y^2=-\beta^2\gamma^2$ | (ε) $y^4-\alpha^2y^2+\frac{1}{4}\alpha^4=\frac{1}{4}\alpha^4-\beta^2\gamma^2$ | (ζ) $y^2-\frac{1}{2}\alpha^2=\sqrt{\frac{1}{4}\alpha^4-\beta^2\gamma^2}$

(η) $y^2=\frac{1}{2}\alpha^2+\sqrt{\frac{1}{4}\alpha^4-\beta^2\gamma^2}$ | (θ) $y=\sqrt{\frac{1}{2}\alpha^2+\sqrt{\frac{1}{4}\alpha^4-\beta^2\gamma^2}}$ | (ι) $y^2-\gamma y=\frac{\alpha^2\beta^2}{\gamma^2}$

(κ) $y^2-\gamma y+\frac{1}{4}\gamma^2=\frac{1}{4}\gamma^2+\frac{\alpha^2\beta^2}{\gamma^2}$ | (λ) $y-\frac{1}{2}\gamma=\frac{1}{\gamma}\sqrt{\frac{1}{4}\gamma^4+\alpha^2\beta^2}$ | (μ) $y=\frac{1}{2}\gamma+\frac{1}{\gamma}\sqrt{\frac{1}{4}\gamma^4+\alpha^2\beta^2}$

(ν) $\alpha y=\beta\chi$ | (ξ) $-\alpha y=-\beta\chi$ | (ο) $\gamma^2-\alpha y=\beta\chi+\beta\mu$

(π) $\alpha.\overline{\frac{\gamma^2}{\alpha}-y}=\beta.\overline{\chi+\mu}$ | (ϱ) $\alpha z=\beta\Omega$ | (σ) $2\alpha\chi-\chi^2=y^2$ | (τ) $\alpha^2-z^2=y^2$


σχ. 1.
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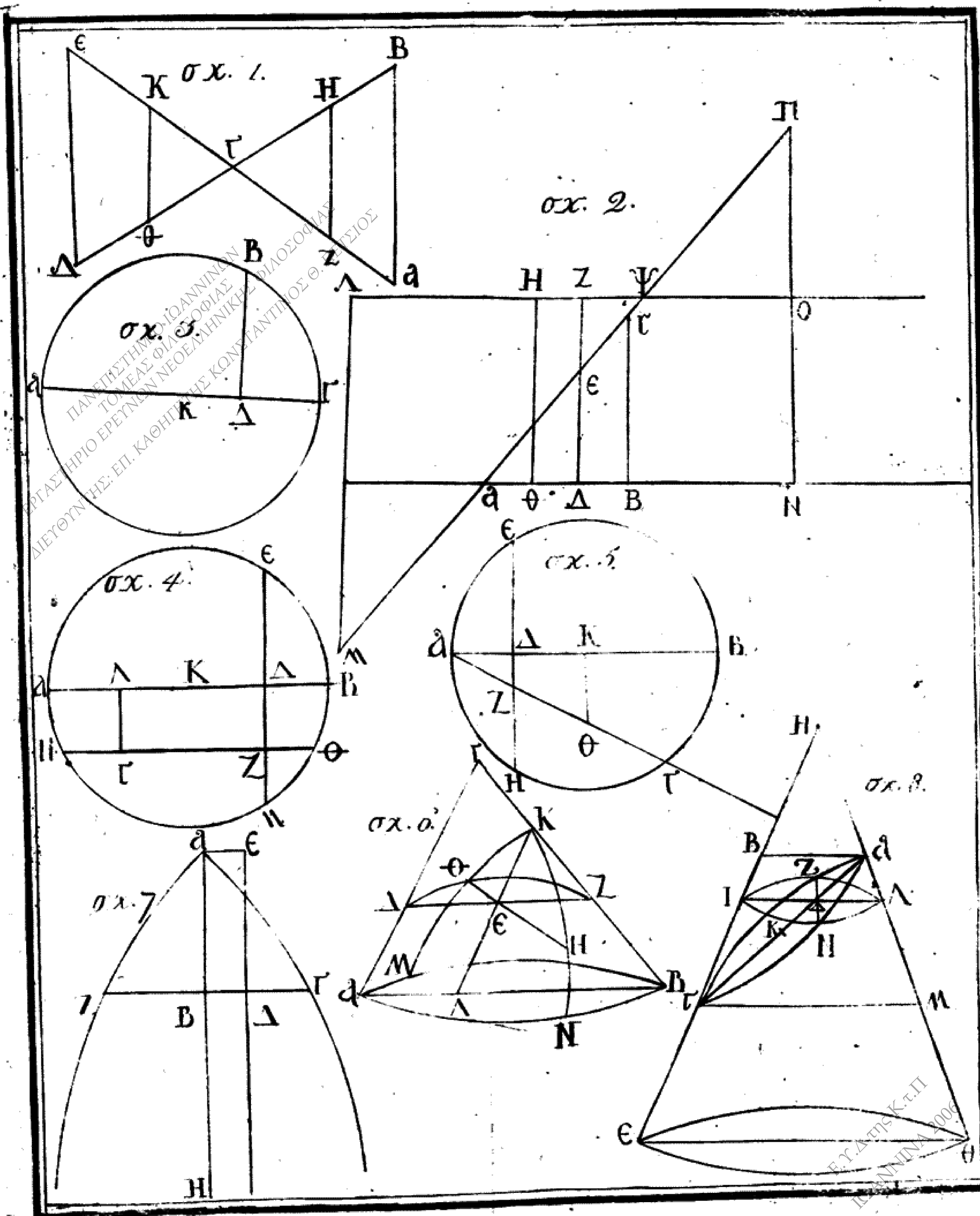
σχ. 5.
σχ. 6.
σχ. 7.
σχ. 8.
σχ. 9.
σχ. 10.


σχ. 1.
σχ. 2.
σχ. 3.
σχ. 4.
σχ. 5.
σχ. 6.
σχ. 7.
σχ. 8.

(I) $2\alpha\chi - \chi^2 = y^2 - 2\gamma y$ | (K) $2\alpha\chi - \chi^2 + \gamma = y^2 - 2\gamma y + \gamma^2$

(Λ) $2\alpha\chi - \chi^2 + \gamma^2 = z^2$ | (M) $\gamma^2 - z^2 = \chi^2 - 2\alpha\chi$ | (N) $\alpha^2 + \gamma^2 - z^2 = \chi^2 - 2\alpha\chi + \alpha^2$

(Ξ) $\nu^2 - z^2 = \Omega^2$ | (O) $2\alpha\chi - \chi^2 - \frac{\beta^2\chi^2}{\alpha^2} = y^2 + \frac{2\beta\chi y}{\alpha}$

(Π) $2\alpha\chi - \chi^2 - \frac{\beta^2\chi^2}{\alpha^2} + \frac{\beta^2\chi^2}{\alpha^2} = y^2 + \frac{2\beta\chi y}{\alpha} + \frac{\beta^2\chi^2}{\alpha^2}$ | (P) $z^2 = 2\alpha\chi - \chi^2$

(Σ) $\frac{\alpha\beta}{\gamma}\chi = y^2$ | (T) $2\alpha\chi - \frac{2\beta}{\gamma}\chi = y^2 + 2\beta y + \beta^2$ | (Υ) $2\nu\chi = z^2$

(Φ) $\frac{2\alpha\beta\gamma\chi - \beta\gamma\chi^2}{4\alpha^2} = y^2$ | (X) $2\alpha\chi - \chi^2 = \frac{4\alpha^2}{\beta\gamma} y^2$ | (Ψ) $2\alpha\chi - \chi^2 = \frac{\alpha^2}{\nu^2} y^2$

(Ω) $y^2 = \frac{\beta\gamma}{4\alpha^2} . \overline{\alpha^2 - z^2}$ | (A) $\frac{\alpha^2}{\nu^2} y^2 = \alpha^2 - z^2$ | (C) $2\alpha^2 - \alpha^2 = \frac{\alpha^2}{\nu^2} y^2$

(D) $\frac{\alpha^2}{\nu^2} y^2 = \alpha^2 - o$ | (E) $2\alpha\chi - \chi^2 = \frac{\beta^2}{\nu^2} y^2$ | (F) $\frac{\beta^2}{\nu^2} y^2 = \alpha^2 - z^2$

(G) $2\alpha^2 - \alpha^2 = \frac{\beta^2}{\nu^2} y^2$ | (L) $\frac{\beta^2}{\nu^2} y^2 = \alpha^2$ | (M) $y^2 + 2\gamma y + \gamma^2 = \frac{2\alpha\beta\chi - \beta\chi^2}{\nu}$

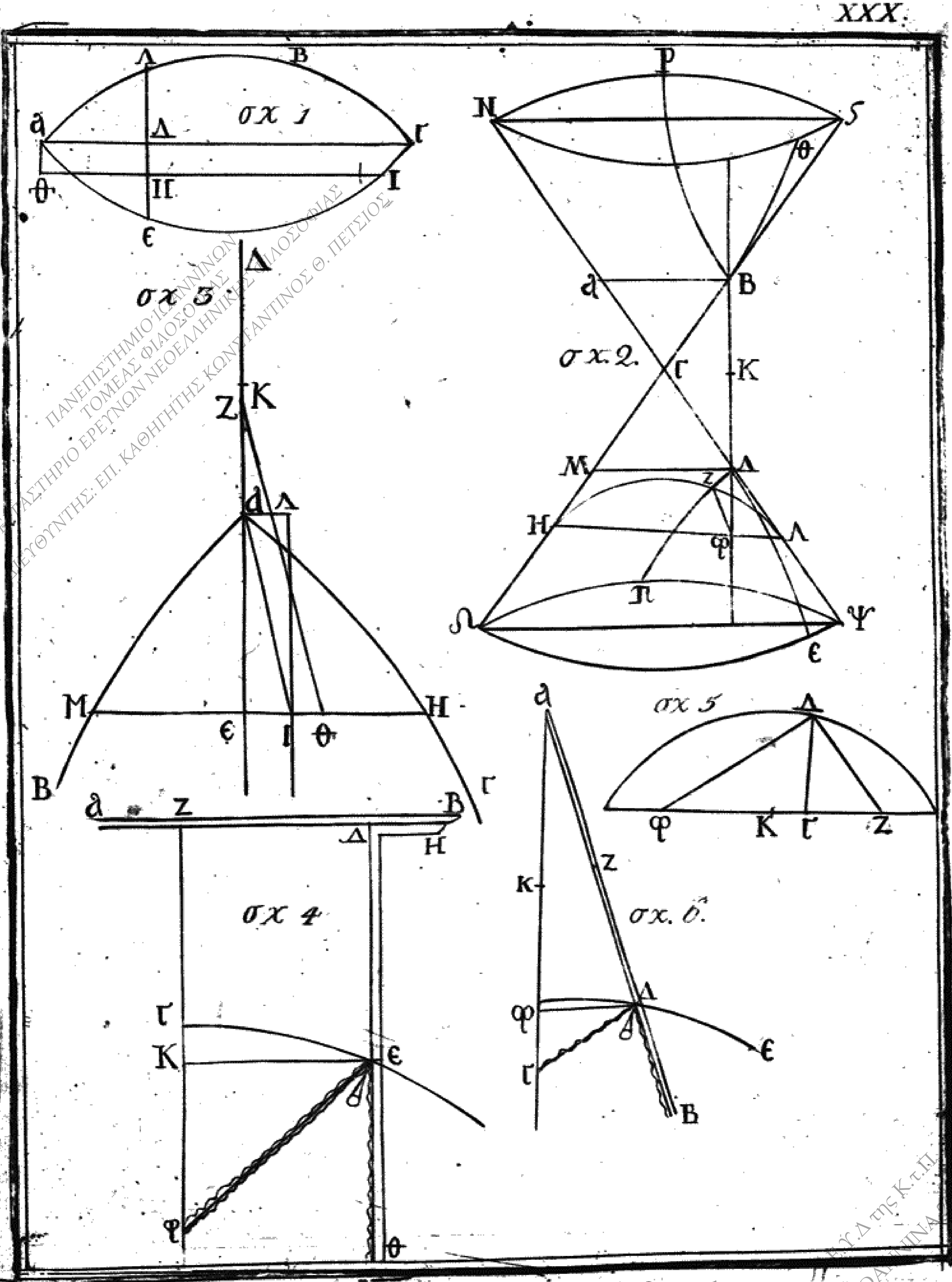
(N) $\frac{\nu z^2}{\beta} = 2\alpha\chi - \chi^2$ | (Q) $\frac{\beta\gamma}{4\alpha^2} . \overline{2\alpha\chi + \chi^2} = y^2$ | (S) $\frac{\alpha^2}{\nu^2} y^2 = 2\alpha\chi + \chi^2$

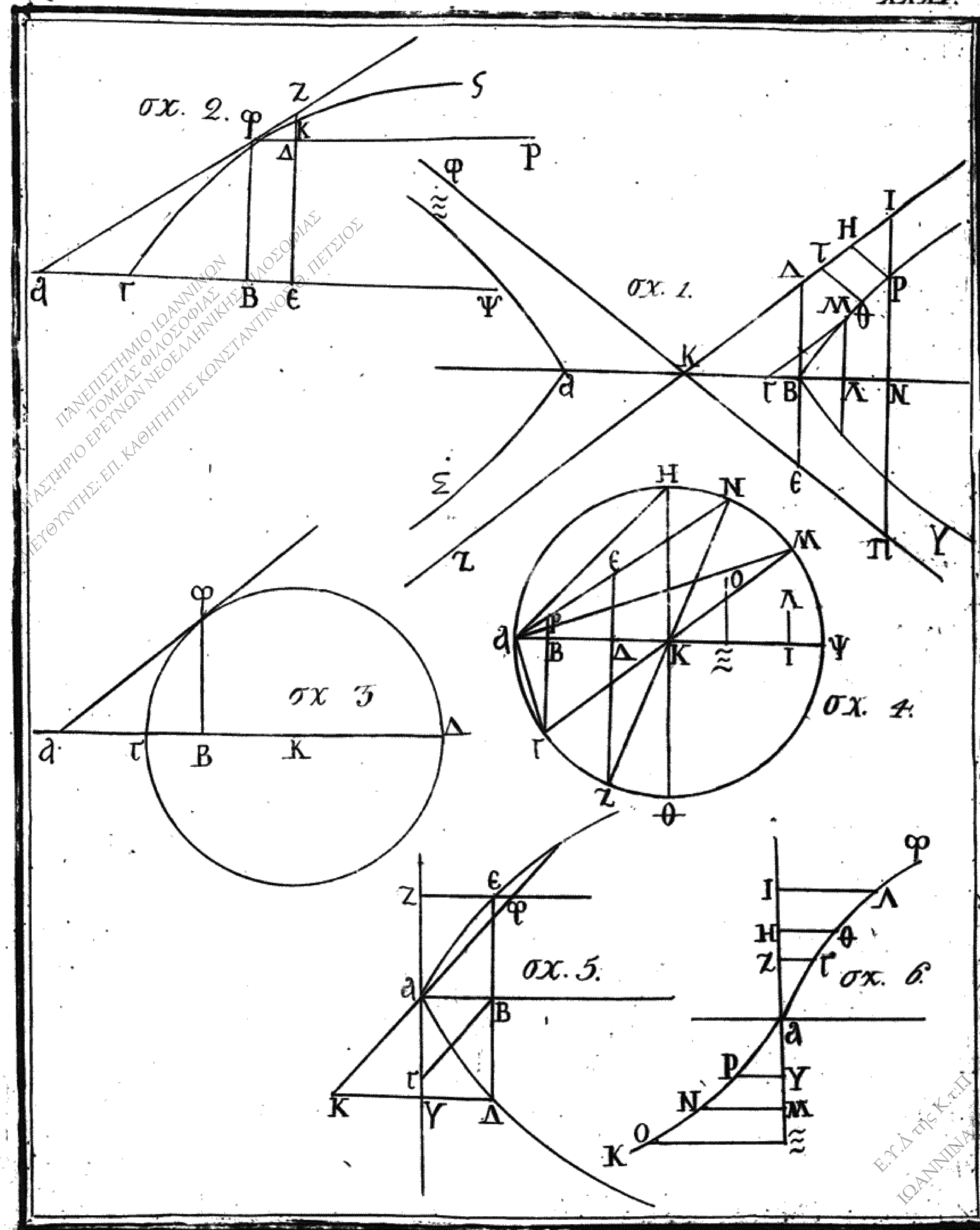
(V) $\frac{\alpha^2}{\nu^2} y^2 = z^2 - \alpha^2$ | (α) $\frac{\beta^2}{\nu^2} y^2 = 2\alpha\chi + \chi^2$ | (β) $\frac{\beta^2}{\nu^2} y^2 = z^2 - \alpha^2$

(γ) $\frac{\alpha^2}{\nu^2} y^2 = \chi^2 + \frac{2\alpha\chi y}{\beta} + \frac{\alpha^2 y^2}{\beta^2} + \gamma^2$ | (δ) $\frac{\alpha^2}{\nu^2} y^2 - \gamma^2 = z^2$ | (ε) $\frac{\nu^2 z^2}{\alpha^2} = y^2 - \frac{\nu^2\gamma^2}{\alpha^2}$

(ζ) $\frac{\alpha^2}{\beta^2} y^2 = 2\alpha\chi + \chi^2$ | (η) $\frac{4\beta^2}{\alpha^2 + \beta^2} \Pi z = \frac{\beta^2}{\alpha^2} . \overline{\alpha + \chi}^2 - y^2$

(ϑ) $\frac{4\beta^2 \Pi z}{\alpha^2 + \beta^2} = \frac{\alpha^2\beta^2 + 2\alpha\beta^2\chi + \beta^2\chi^2 - 2\alpha\beta^2\chi - \beta^2\chi^2}{\alpha^2}$ | (ι) $\Pi z = \frac{\alpha^2 + \beta^2}{4}$


σχ 1
σχ.2.
σχ 3.
σχ 4
σχ 5
σχ. 6.


σχ. 1.
σχ. 2.
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σχ. 6.